bandpass filters. Finally, if the filters "recognize" the audio-frequency code tones, an audio driver and power amplifier are energized.

Radio pagers generally are assigned to operate in only one of four frequency bands, depending on the type of service the subscriber requires. The low vhf band from 30 to 50 MHz is usually used for on-site coverage of a facility, such as a factory or construction site. For wider coverage, one might choose a pager designed to operate on the high vhf band between 132 and 174 MHz. For even

greater coverage, usually obtained through the use of multiple antennas at the call service's facility, a uhf pager that operates between 406 and 420 MHz would prove to be a better choice. Finally, when signal saturation is desired on floors of buildings and in basements in metropolitan areas where there are many tall buildings, a uhf pager that operates in the 420-to-512-MHz range would be required.

Until last year, these were the only bands available for paging services. In mid-1980, however, Motorola an-

nounced the availability of a tone-and-voice pager designed to operate at 800 MHz. The new Dimension IV pager from Motorola operates in the 851-to-866-MHz band and is available to only those subscribers who qualify for their own frequencies. This pager is said to be compatible with existing 800-MHz base-station (call-service) equipment and encoders.

Highly efficient integrated circuitry has reduced power demands to where a single AA-size mercury battery will keep a pager operating for almost seven weeks. This eliminates the bulky, heavy nickel-cadmium batteries used in early pagers and the need for daily recharges as well. Higher-efficiency circuits are only a part of the battery long-life story. New circuits such as those used in the Multitone and Motorola pagers automatically switch off the major portions of the pager's circuit in the absence of calls, switching them on again when there is an incoming call.

What Paging Costs. Most radio-call companies offer a choice of two plans for their paging services. Under one plan, a monthly charge is levied and includes rental of the pager, handling of calls, and maintenance. Prices under this plan vary according to range of coverage and the number and types of pagers rented. The general range is from \$13.50 to \$18 per month per pager.

The second plan is designed for the subscriber who wishes to purchase his pagers outright. Cost is about \$200 each. In this case, the cost of service including handling of calls and maintenance, ranges from \$5 to \$8 per month per pager. Again, the exact figure depends on the number and type of pagers being used.

Range of coverage varies from service to service. For example, Beep Communication Systems, Inc. (New York City) offers coverage from Albany and surrounding cities, down through Pennsylvania and parts of Delaware. Radiofone Corp., also in the East, covers about 20,000 square miles and was the first paging-service company to offer coastto-coast service, connecting New York, Chicago, and Los Angeles via Western Union's Westar satellite. By linking up services in various cities with shared frequencies and exchanging access numbers, a group of paging companies can provide subscribers with a large "umbrella" under which the pager wearer can travel from city to city without loss of service. The most common coverage appears to be 30 to 75 miles.

Considering the modest cost and service, it's small wonder that radio paging has become so popular. The prestigious "beep" has even been known to get one a better table in a restaurant.



# **NUMBERS**

How to understand and apply the three basic numbering systems in computer programming

BY FRED BLECHMAN

ICROCOMPUTER users often need to understand and apply number systems other than the familiar decimal system. The most popular of these is the hexadecimal (base 16) system, with octal (base 8) and binary (base 2) following close behind.

This article will help clear up some of the mysteries regarding these various systems and show how to convert decimal numbers to any of the bases and vice versa. A BASIC computer program that performs hex/decimal conversions is also given.

The Number Systems. Tables I through IV are designed to help you learn how the familiar decimal system relates to the binary, octal, and hexadecimal systems.

The values associated with the digits of decimal, binary, octal, and hexadecimal systems are given for the first four places in Tables I-IV. In each case, the left-hand column gives the number (or letter,) "code" for that system. The other four columns contain the decimal numbers that represent each code location. Since decimal numbers are common to all tables, once you learn how to use these tables you can convert from one number system to another using the equivalent decimal number. The hexadecimal system requires more digits than can be expressed by the characters 0,1,2,3,4,5,6,7,8,9, so the first six letters of the alphabet are added. The full set is thus 0,1,2,3,4,5,6,7,8,9,A,B,C,D,E,F. While FFFF may be an odd-looking expression, it is a valid number in the hexadecimal system.

Using these tables takes some explanation, so let's start with Table I, the Decimal Number System. The decimal code column shows the familiar digits 0-9. Now look at the far right (Column I) which also reads vertically from 0 to 9; ten digits in all. Our base, then, is 10. These numbers are actually the numbers 0 to 9 times the zero power of the base 10. Column II shows each of the Column I digits multiplied by the base, 10, raised to the first power. Column III shows each of the Column I digits multiplied by 10², or 100; column IV shows each multiplied by 10³, or 1000.

Suppose you wanted to know the decimal number for decimal code 6037. This is a 4-digit number, which means we'll use all four columns in the table. The first or most significant digit is 6. Look down the left-hand "Decimal Code" column to 6 and go to the right to Column IV, where you find 6000. Call this the decimal value of Column IV. The next most significant digit is 0. The Column III value for Decimal Code 0 is 0. The next significant digit of 6037 is 3. In Column II, the decimal value for Decimal Code 3 is 30. The last or least significant digit, 7, is seen to equal 7 in Column I for Decimal Code 7. Now simply add the Column I through Column IV values (6000+0+30+7) and you have 6037 (the hard way!).

You can also work backwards—that is, find the decimal *code* for a given decimal *number*. Suppose the decimal

number is 2408. Start by finding the largest number in the table that is smaller than the decimal number 2408. That would be 2000 in Column IV for Decimal Code 2. Therefore, the first decimal digit is 2. Now, subtract 2000 from 2408, leaving a remainder of 408. Again, find the largest number in the table less than 408. The number is 400, in Column III, for decimal digit 4. Now, the remainder of 8 (after subtracting 400 from 408) bypasses Column II and we find the exact value, 8, in Column I at Decimal Code 8. This generates two decimal code numbers, a 0 for Column II and an 8 for Column I. The result: a decimal code of 2408.

The Binary Number System. Table II shows the Binary Number System, using the same tabular approach as shown for the decimal system. Since the binary code consists of only two digits, 0 and 1, the columns use a base of 2. That is, Column I (far right) is 2 to the zero power, times the digit. Column II is 2 to the first power, Column III is 2 to the second power, and so forth. Binary code 0 is 0 in all columns (since zero times anything is zero).

Suppose you had a 4-bit binary code 1011. Starting with Column IV and adding the values wherever a binary code of 1 appears for that column, you have 8+0+2+1 equals 11 in decimal. Going the other way—that is, starting with a decimal number and determining the binary code—use the largest-number subtraction technique described pre-



viously. Suppose you needed the binary code for decimal 14. You'd have a "1" for Column IV. Then, subtracting 8 from 14, you have 6 as a remainder. Column III has a 4, so you have a "1" for Column III, and a remainder of 2 (6-4), which is an exact match with Column II. That gives you a binary code of "1" for Column II, and "0" for Column I. The end result is that decimal 14 equals binary 1110.

The Octal Number System. Table III shows the Octal Number System using our familiar format. Since the base number is 8 this time, all the columns are powers of 8. For example, the 256 in Column III is 4 times 8 to the second power (4×82), which equals 4 times 64. or 256. The table is used exactly the same way as the previous tables. Octal code 4273 is equal to decimal 2048+128+56+3, or 2235 decimal. Going the other way, 3273 decimal is equal to 6311 octal (3273-3072-192 - 8 - 1 = 0).

The advantage of octal is that a 3-bit binary number (such as 110, 101, etc.), can be represented as a single octal digit, since a 3-bit binary number can only range from 0-7. For example, binary 110 would be octal 6; binary 101 would be octal 5. Thus, a long binary number of 12 bits could be broken up into 4 groups of 3 bits each, and represented by 4 octal digits.

The Hexadecimal Number System. Now we arrive at "Destination Hex." where we computer users wanted to go all along. Actually, there are good reasons why hexadecimal numbers are so popular in computing. Most computers use binary 8- or 16-bit "words," 8-bit "bytes" and 4-bit "nybbles" internally. One hexadecimal character can represent a 4-bit nybble, two hex characters an 8-bit byte, and four hex characters a 16-bit word! Thus, hex code provides a reasonable "middle-ground" between the binary code the computer actually processes and the decimal code we humans like to use.

Table IV shows the tabular approach, and a simple BASIC program is also shown. Either will convert from hex to decimal or decimal to hex for the range of 0 to 65535 or 0 to FFFFh. (An h or H is often added to a hexadecimal number to indicate the type of code.)

Look at Table IV, Hex Code column. Since the base for hexadecimal code is 16, we use single-character letters to represent the 10,11,12,13,14 and 15 codes.

The table is used exactly like the previous ones. Thus, 3CB6h is equal to 12288+3072+176+6 or 15542 decimal. Going the other way, 32650 decimal equals 7F8Ah (32650-28672-3840 - 128 - 10 = 0).

**BASIC Hex/Decimal Conversion** Program. Although the program is self-prompting and requires no programming knowledge to operate, you may be interested in how it works. A fair understanding of TRS-80 Level II BA-SIC language statements and functions is assumed.

Lines 5 to 40 introduce the program and print the conversion limits and "menu" on the screen followed by a blank line. Line 50 asks which way you

want to go-decimal-to-hex or hex-todecimal. You enter a 1 or 2 and line 60 sends you to either line 100 or line 500. Assume you typed and entered a "1." Then M equals "1" and you continue at line 100. (Note that line 60 could also be: IF M=2 GO TO 500). For simplicity, error-trapping is not used, and if you enter any number but "2" you'll be at line 100 which clears the screen and tells you how to return to the "menu" or exit the program: Line 110 asks for your decimal number for variable N. Line 111 traps numbers over 65535, and line 112 checks if N is zero for return to menu.

Line 115 sets the value of A equal to N. and also sets counter variable X to zero. Line 120 starts a "countdown" by subtracting 4096 (which is 16 to the third power) from A. Line 130 looks at the result to see if it is less than zero; if it is, then 4096 is added, the variable Z is set to the value of X and the program branches to a subroutine, lines 1000-1060. We'll get to that later.

If, however, line 130 is bypassed because A is zero or larger, then line 140 adds 1 to the value of X and sends the program back to line 120 for another subtraction of 4096.

What's happening here is that the computer is counting down from the top of Column IV of Table IV. Each time it repeats line 120, it is adding to the hex code by 1 (X increases by 1). Finally, when line 130 finds A is less than zero, the value of X is the hex code for the most significant digit. The subroutine starting at line 1000 then defines the value of this digit.

Suppose you enter the decimal number 32650 for N in line 110. Lines 120

and 140 will subtract 4096 seven times until, on the eighth time, the result is -118. The variable X has been advanced by line 140 seven times so it has a value of 7. Line 130 now sees that A is less than zero, so 4096 is added, making A equal to 3978. Variable Z is set equal to 7 (the present value of X) and we move to line 1000.

Line 1000 sees that the value of Z is less than 10, so it sets string-variable X\$ equal to STR\$(X), the numerical value of X in string form. This allows X\$ to be a number or a letter. Here, X\$ is equal to a string value of 7.

Lines 1005-1050 are ignored, since Z is equal to 7, and line 1060 returns the program to the latter part of line 130, where the branching took place. The next statement sets E\$ to the value of X\$, for later use. Then the program is directed to line 145.

Line 145 sets variable B equal to the last value of A, which is 3978 in our example. Then X is reset to zero. Now lines 150-170 subtract 256, inspect for a value less than zero, and count, in the same manner as lines 120-140. After 16 subtractions, B has a value of -118. Line 160 catches this, adds 256 to bring the value of B up to 138, sets Z equal to 15, and branches to line 1000.

Lines 1000-1040 are ignored, since Z equals 15. However, line 1050 is satisfied and X\$ is made equal to the letter F. Line 160 then makes F\$ equal to F.

Similary, lines 175-200 determine the third hex code, which in the example turns out to be 8, with the final value of C equal to 10. The subroutine at line 1000 sets X\$ equal to a string value of 8, and line 190 makes G\$ equal to 8.

Line 210 takes the remainder (C in line 190, with a value of 10 in our example) and lets variable D equal this value. It now sets Z equal to D and again goes to line 1000. Since our example has Z equal to 10, line 1000 is ignored, but line 1005 sets X\$ equal to the letter A. Lines 1010-1050 are ignored, line 1060 returns the program to the end of line 210 and H\$ is set to a value of A.

In memory we have E\$ equal to 7, F\$ equal to F, G\$ equal to 8 and H\$ equal to A. Line 220 skips a line on the screen and prints out 7F8A and line 225 prints a message reminding you to ignore leading zeros. Then line 230 sends the program back to line 110 for another decimal number after printing a blank screen line.

Hex-To-Decimal Conversion. If you had indicated, as a response to line 50, that you wanted hex-to-decimal conversion by typing and entering a "2," the program would branch to line 500. The screen is cleared, two blank lines are printed, followed by the menu/exit message and a blank line. Line 510 prints a prompt asking for the hexadecimal value, V\$. If you enter zero, line 511 returns the program to the menu. Suppose you type in 45FD. Line 512 makes sure this is a 4-character string by adding leading zeros if necessary. Line 520 extracts the rightmost character of V\$ and makes X\$ equal to it. In our example, this would make X\$ equal to D. Now the program branches to a subroutine starting at line 2000.

Line 2000 looks at X\$ to see if it has a value less than A. Since numbers come before letters in the computer's pre-pro-

grammed ROM value sequence, the letter D allows the program to "fall thru" to line 2030. Since X\$ is equal to D, this program line now makes the variable Z equal to 13. Lines 2040 to 2060 are ignored, and line 2070 returns the program to the branching point, the end of line 520. Variable D is made equal to Z. which is currently 13.

Line 2060 is a simple error-trap to keep you from entering any letters beyond F, since they would be invalid in hex code

Line 530 looks at the third character in X\$, which is an F in our 45FD example. The subroutine sets the value of Z to 15 in line 2050 and the end of line 530 makes C equal to 15 times 16 or 240.

Line 550 finds the second character in X\$ to be 5. The subroutine catches this value in line 2000 as being less than A. and sets Z to the decimal value of 5. (VAL(X\$) converts a string value to a numerical value.)

The end of line 550 makes B equal to 5 times 256, or 1280. Similarly, lines 560 and 1000 take the first character (4) of X\$ and makes A equal to 4 times 4096, or 16384. Notice that A,B,C and D are all now numerical values, and can be added together. Line 600 does this and prints the result. In our example, 45FD equals 16384 plus 1280 plus 240 plus 13, for a result of 17917 decimal. Line 620 goes to line 510 for another hex number. Line 999 is just good form to identify the beginning of a subroutine, but could be omitted.

Other Number Conversion Programs. While the program given here is simple and can be entered from your

### TABLE I-THE DECIMAL NUMBER SYSTEM

| Decimal<br>Code | 1V<br>10 <sup>3</sup> =1000 | III<br>10 <sup>2</sup> =100 | 101=10 | 100=1 |
|-----------------|-----------------------------|-----------------------------|--------|-------|
|                 |                             |                             |        |       |
| 1               | 1000                        | 100                         | 10     | 1     |
| 2               | 2000                        | 200                         | 20     | 2     |
| 3               | 3000                        | 300                         | 30     | 3     |
| 4               | 4000                        | 400                         | 40     | 4     |
| 5               | 5000                        | 500                         | 50     | 5     |
| 6               | 6000                        | 600                         | 60     | 6     |
| 7               | 7000                        | 700                         | 70     | 7     |
| 8               | 8000                        | 800                         | 80     | 8     |
| 9               | 9000                        | 900                         | 90     | 9     |

## TABLE II—THE BINARY NUMBER

| Placey         | IV        | 111  | 11   | 1    |
|----------------|-----------|------|------|------|
| Binary<br>Code | Code 23=8 | 22=4 | 21=2 | 20=1 |
| 0              | 0         | 0    | 0    | 0    |
| 1              | 8         | 4    | 2    | 1    |

#### TABLE III—THE OCTAL NUMBER SYSTEM

| Octal<br>Code | IV     | 111   | - 11 | 1    |
|---------------|--------|-------|------|------|
|               | 83=512 | 82=64 | 81=8 | 80=1 |
| 0             | 0      | 0     | 0    | 1.0  |
| 1             | 512    | 64    | . 8  | . 1  |
| 2             | 1024   | 128   | 16   | . 2  |
| 3             | 1536   | 192   | 24   | 3    |
| 4             | 2048   | 256   | 32   | 4    |
| 5             | 2560   | 320   | 40   | 5    |
| 6             | 3072   | 384   | 48   | 6    |
| 7             | 3584   | 448   | 56   | 7    |

### **TABLE IV—THE HEXADECIMAL NUMBER** SYSTEM

| Hexadecimal                             | 16 <sup>3</sup> =4096 | 162=<br>256 | 16 <sup>1</sup> =16 | l I   |  |
|---|-----------------------|-------------|---------------------|-------|--|
| Code                                    |                       |             |                     | 160=1 |  |
| 0                                       | 0                     | 0           | 0                   | 0     |  |
| 1 | 4096                  | 256         | 16                  | 1     |  |
| 2                                       | 8192                  | 512         | 32                  | 2     |  |
| 3                                       | 12288                 | 768         | 48                  | 3     |  |
| 4                                       | 16384                 | 1024        | 64                  | 4     |  |
| 5                                       | 20480                 | 1280        | 80                  | 5     |  |
| 6                                       | 24576                 | 1536        | 96                  | 6     |  |
| 7                                       | 28672                 | 1792        | 112                 | 7     |  |
| 8                                       | 32768                 | 2048        | 128                 | 8     |  |
| 9                                       | 36864                 | 2304        | 144                 | 9     |  |
| Α                                       | 40960                 | 2560        | 160                 | 10    |  |
| В                                       | 45056                 | 2816        | 176                 | 11    |  |
| С                                       | 49152                 | 3072        | 192                 | 12    |  |
| D                                       | 53248                 | 3328        | 208                 | 13    |  |
| E                                       | 57344                 | 3584        | 224                 | 14    |  |
| F                                       | 61440                 | 3840        | 240                 | 15    |  |

### TRS-80™MODEL III 48K \$1039



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### **ATARI 800** 48K \$1069



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### **NUMBER CONVERTING PROGRAM**

numbers

| 5 REM * COPYRIGHT FRED BLECHMAN 1980 *  |
|---|
| 10 CLS  |
| 20 PRINT:PRINT:PRINT:PRINT" NUMBER CONVERTER PROGRAM"                                     |
| 25 PRINT" (MAXIMUMS: 65535 DECIMAL, FFFF HEX)"  |
| 30 PRINT:PRINT"(1) DECIMAL TO HEX CONVERSION  |
| 40 PRINT"(2) HEX TO DECIMAL CONVERSION  |
| 50 PRINT: INPUT"WHICH DO YOU WANT, 1 OR 2?":M   |
| 60 ON M GOTO100, 500  |
| 100 CLS:PRINT:PRINT:PRINT"ENTER 0 FOR MENU, BREAK TO EXIT ";PRINT                         |
| 110 INPUT"WHAT IS THE DECIMAL NUMBER (65535 MAX.)";N                                      |
| 111 IF N)65535 PRINT"ABOVE 65535 LIMIT! TRY AGAIN":GOTO110                                |
| 112 IF N=0 GOTO10   |
| 115 A=N:X=0   |
| 120 A=A-4096<br>130 IF A(0 THEN A=A+4096:Z=X:GOSUB1000:E\$=X\$:GOTO145                    |
| 140 X=X+1:G0T0120   |
| 145 B=A:X=Ø   |
| 150 B=B-256   |
| 160 IF B(0 THEN B=B+256:Z=X:GOSUB1000:F\$=X\$:GOT0175                                     |
| 170 X=X+1:GOTO150   |
| 175 C=B:X=0   |
| 180 C=C-16  |
| 190 IF C(0 THEN C=C+16:Z=X:GOSUB1000:G\$=X\$:GOTO210                                      |
| 200 X=X+1:GOTO180   |
| 210 D=C:Z=D:GOSUB1000:H\$=X\$ 220 PRINT:PRINT"THE HEXADECIMAL VALUE IS: ";E\$;F\$:G\$;H\$ |
| 225 PRINT"(IGNORE LEADING ZEROES)"  |
| 230 PRINT GOTOLIO   |
| 500 CLS:PRINT:PRINT:PRINT"ENTER & FOR MENU, BREAK TO EXIT":PRINT                          |
| 510 INPUT"WHAT IS THE HEXADECIMAL VALUE (FFFF MAX.)";V\$                                  |
| 511 IF V\$="0" GOTO10   |
| 512 V\$=RIGHT\$("0000"+V\$,4)   |
| 520 X\$=RIGHT\$(V\$,1):GOSUB2000:D=Z  |
| 530 X\$=MID\$(V\$, 3, 1):GOSUB2000:C=Z*15   |
| 550 X\$=MID\$(V\$, 2, 1):GOSUB2000:B=Z*256  |
| 560 X\$=LEFT\$(V\$,1):GOSUB2000:A=Z*4096  |
| 600 PRINT: PRINT"THE DECIMAL NUMBER IS"; A+B+C+D  |
| 620 PRINT:GOTO510<br>999 END  |
| 1000 IF Z(10 THEN X\$=STR\$(Z)  |
| 1005 IF Z=10 THEN X\$=" A"  |
| 1010 IF Z=11 THEN X\$=" B"  |
| 1020 IF Z=12 THEN X\$=" C"  |
| 1030 IF Z=13 THEN X\$=" D"  |
| 1040 IF Z=14 THEN X\$=" E"  |
| 1050 IF Z=15 THEN X\$=" F"  |
| 1060 RETURN   |
| 2000 IF X\$("A" THEN Z=VAL(X\$)   |
| 2005 IF X\$="A" THEN Z=10   |
| 2010 IF X\$="B" THEN Z=11   |
| 2020 IF X\$="C" THEN Z=12<br>2030 IF X\$="D" THEN Z=13                                    |
| 2040 IF X\$="E" THEN Z=14   |
| 2050 IF Y*="F" THEN 7=15  |
| 2060 IF X\$> "F" PRINT"ERROR!! NO LETTER GREATER THAN F! TRY AGAIN":GOTO 510              |
| 2070 RETURN   |
|   |

keyboard in 15 to 20 minutes and stored on cassette or disk, it is limited to hex/ characters. Several other cassette programs with more flexibility can be obtained from the following sources:

(1) "BASECONV/BAS" converts any number with a base between 2 and 16. No known limit to number size. Excellent, fast, easy to use. \$3.95, postpaid, if payment with order. International Data Services, 340 West 55th St., New York, NY 10019. Phone: 212-757-8046.

(2) "Number/Base Converter" will add, subtract or convert numbers of any base between 2 and 16. No known limit to number size. Very flexible. \$6.95, postpaid. Demi-Software, P.O. Box 570, Lynbrook, NY 11563.

(3) "Programmer's Converter" has three programs: Base Calculator converts numbers with bases 2 through 16 and performs calculations, including fractions; Hexadecimal/Decimal Training not only performs conversions but includes a teaching/testing program;

Number Base Conversions converts decimal, binary, octal and hexadecimal decimal conversions and to only four hex numbers from zero to FFFF, and displays all four values simultaneously. \$9.95 plus \$1 shipping. Instant Software, Peterborough, NH 03458.

(4) "HEX-DEC Converter" provides hexadecimal-to-decimal or decimal-tohexadecimal conversions "in memory" up to 65535 decimal or FFFF hex. It can be used during the writing of a BASIC program by using SHIFT-D to convert from decimal or SHIFT-H to convert from hex. The answer appears on the screen and the program returns to BA-SIC. Very handy. Uses less than 256 bytes of reserved upper memory. \$6.95 postpaid. J. Lindsly, 8106 Quailwood Ct., West Chester, OH 45069.

For \$2 postpaid, you can receive a BASIC listing only (no cassette) of a "number Conversion Program" that converts decimal, hex, octal and binary numbers in the range of zero to FFFF. Dean R. Zimmerman, 444 North Grove Drive, Alpine, UT 84003.

POPULAR ELECTRONICS

### BY JAMES BARBARELLO AND EDWIN IRIYE

### Inexpensive, accurate instrument measures inductance from 1 microhenry to 1 henry as well as capacitance

NOW you can measure the inductance of coils and loudspeaker windings without resorting to expensive laboratory instruments. The Reactance Measuring Set (RMS) presented here will measure inductance from 1 microhenry to 1 henry, using any multimeter as a readout device. Furthermore, capacitance from 1 picofarad to 1 microfarad can be determined.

Accurate, stable, and easy to build, the RMS project uses a measurement technique based on the relationships between currents flowing through and voltages appearing across reactive com-

**BUILD THE** 

ponents. The resulting measurements are not influenced by any effective or internal resistances of the components under test. Moreover, the RMS can be aligned without using a precision reference standard. As a bonus, it can function as a crystal-controlled frequency standard. No batteries are needed, thanks to the presence of an internal, line-powered supply.

Measuring Reactors. The voltage drop across a pure inductance is directly proportional to the rate at which the magnitude of the current flowing

through it changes with time. Mathematically, this is expressed by the differential equation:  $v = L \frac{di}{dt}$ . If a current that has a constant rate of change flows through the inductor, the voltage drop across it will be constant. Similarly, if the waveform of the current that flows through the inductor is a triangle, the resulting voltage is a square wave.

The current that flows through a pure capacitance is directly proportional to the time rate of change of the voltage across it (i = C dv/dt). If a voltage with a constant rate of change is applied across the capacitance, a current of constant magnitude flows through it. Similarly, if the waveform of the voltage that is applied across the capacitor is a triangle, a square-wave current flows through it.

Now let's look at a block diagram of the RMS (Fig. 1). A triangle-wave voltage source is the heart of the measurement circuit. It drives both a voltagedependent current source and a buffer/ voltage-to-current converter stage. The former generates a triangle-wave current which is applied to an inductance whose value is to be determined  $(L_x)$ . If a value of capacitance is to be measured, a triangle-wave voltage is applied across

